

THREE-WAY BETWEEN-SUBJECT FACTORIAL

	Hours					Hours			
	6	12	24	72		6	12	24	72
Visual	10 (100)	90 (900)	70 (700)	50 (500)		10 (100)	50 (500)	70 (700)	60 (600)
Audio- Visual	40 (400)	140 (1400)	130 (1300)	100 (1000)		20 (200)	70 (700)	170 (1700)	130 (1300)
Rhode Island Reds						Plymouth Rocks			

Experiment is on imprinting of chicks to wooden decoy, Row factor (Cue) is whether the decoy “clucks” (audio-visual) or not (visual). Column factor (Period) is hours of age (6, 12, 24, or 72) at time of first exposure to cue. Panel factor is Breed of chick (Rhode Island Red versus Plymouth Rock). Data are minutes out of 180 spent following the decoy. Ten chicks are assigned a random to each CPB combination. The table gives the cell means with cell totals in parentheses.

I. Computing the ANOVA

A. If needed, get pooled means and totals for various 2-way and 1-way matrices. Notice that these matrices show the means we need to graph various effects.

Grand		75.625 (12100)			
		6	12	24	72
Period		20 (800)	87.5 (3500)	110 (4400)	85 (3400)
		V	A-V		
Cue		51.25 (4100)	100 (8000)		
		RIR	PR		
Breed		78.75 (6300)	72.5 (5800)		
		6	12	24	72
Period by Cue	V	10 (200)	70 (1400)	70 (1400)	55 (1100)
	A-V	30 (600)	105 (2100)	150 (3000)	115 (2300)
		6	12	24	72
Period by Breed	RIR	25 (500)	115 (2300)	100 (2000)	75 (1500)
	PR	15 (300)	60 (1200)	120 (2400)	95 (1900)
		RIR	PR		

Cue by Breed	V	55 (2200)	47.5 (1900)
	A-V	102.50 (4100)	97.5 (3900)

B. Compute the basic ratios

$$[T] = \frac{12100^2}{160} = 915062.5$$

$$[C] = \frac{4100^2 + 8000^2}{80} = 1010125$$

$$[B] = \frac{6300^2 + 5800^2}{80} = 916625$$

$$[P] = \frac{800^2 + 3500^2 + 4400^2 + 3400^2}{40} = 1095250$$

$$[CB] = \frac{2200^2 + 1900^2 + 4100^2 + 3900^2}{40} = 1011750$$

$$[CP] = \frac{200^2 + 1400^2 \dots + 3000^2 + 2300^2}{20} = 1211500$$

$$[BP] = \frac{500^2 + 2300^2 \dots + 2400^2 + 1900^2}{20} = 1134500$$

$$[CBP] = \frac{100^2 + 900^2 \dots + 1700^2 + 1300^2}{10} = 1259000$$

$$[Y] = (\text{given}) 1334000$$

C. Compute the various SS

$$SS_M = 915062.5$$

$$SS_C = 1010125 - 915062.5 = 95062.5$$

$$SS_B = 916625 - 915062.5 = 1562.5$$

Systematic
Sources

$$SS_P = 1095250 - 915062.5 = 180187.5$$

$$SS_{CB} = 1011750 - 1010125 - 916625 + 915062.5 = 62.5$$

$$SS_{PB} = 1134500 - 1095250 - 916625 + 915062.5 = 37687.5$$

$$SS_{PC} = 1211500 - 1095250 - 1010125 + 915062.5 = 21187.5$$

$$SS_{CPB} = 1259000 - 1011750 - 1211500 - 1134500 + 1010125 + 916625 + 1095250 - 915062.5 = 8187.5$$

(Note: The sum of the various SS for systematic sources equals 1259000. This is equal to [CPB] or the sum of the squared cell totals.)

Error Source $SS_{S/CPB} = 1334000 - 1259000 = 75000$

D. Compute MS values and enter in table

Source	df	SS	MS	F	p
Mean	1	915062.50	915062.5	1756.93	< .01
<u>C</u> ue	1	95062.50	95062.5	182.52	< .01
<u>P</u> eriod	3	180187.50	60062.5	115.32	< .01
<u>B</u> reed	1	1562.50	1562.5	3.00	ns
C x P	3	21187.50	7062.5	13.56	< .01
C x B	1	62.50	62.5	.12	ns
P x B	3	37687.50	12562.5	24.12	< .01
C x P x B	3	8187.50	2729.17	5.24	< .01
S/CPB	$\frac{144}{160}$	$\frac{75000.00}{1334000.00}$	520.83		

Checks: $\sum df = \# \text{ of observations} = 10 \text{ S/cell} \times 16 \text{ cells}$
 $\sum SS = [Y] = 1334000.00$

$F^*(1, 120) = 3.92$ (no value available for $df_{\text{error}} = 144$)

$F^*(3, 120) = 2.68$ (no value available for $df_{\text{error}} = 144$)



